## Radioactivity

## Atomic and nuclear physics

## P 6.4.4

## Attenuation of $\alpha$ , $\beta$ and $\gamma$ radiation

- P 6.4.4.1 Measuring the range of  $\alpha$ radiation in air
- P 6.4.4.2 Attenuation of  $\beta$  radiation when passing through matter
- P 6.4.4.3 Confirming the law of distance for β radiation
- P 6.4.4.4 Absorption of  $\gamma$  radiation when passing through matter



Absorption of  $\gamma$  radiation when passing through matter (P 6.4.4.4)

High-energy  $\alpha$  and  $\beta$  particles release only a part of their energy when they collide with an absorber atom. For this reason, many collisions are required to brake a particle completely. Its range R

$$\mathbf{R} \propto \frac{E_0^2}{n \cdot Z}$$

depends on the initial energy  $E_0$ , the number density *n* and the atomic number Z of the absorber atoms

Low-energy  $\alpha$  and  $\beta$  particles or  $\gamma$  radiation are braked to a certain fraction when passing through a specific absorber density dx, or are absorbed or scattered and thus disappear from the beam. As a result, the radiation intensity I decreases exponentially with the absorption distance x.

$$I = I_0 \cdot e^{-\mu \cdot x}$$
  
 $\mu$ : attenuation coefficient

The first experiment determines the range *R* of monoenergetic  $\alpha$ particles in air. Here, the ionization current I is measured in an ionization chamber of variable height as a function of the distance d between the cover and the Am-241 preparation. The ionization current initially increases with the distance d before remaining constant at distances which are greater than the range.

The second experiment examines the attenuation of  $\boldsymbol{\beta}$  radiation from Sr-90 in aluminum as a function of the absorber thickness d. This experiment shows an exponential decrease in the intensity. As a comparison, the absorber is removed in the third experiment and the distance between the  $\beta$  preparation and the counter tube is varied. As one might expect for a point-shaped radiation source, the following is a good approximation for the intensity:

$$(d) \propto \frac{1}{d^2}$$

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The fourth experiment examines the attenuation of  $\gamma$  radiation in matter. Here too, the decrease in intensity is a close approximation of an exponential function. The attenuation coefficient  $\boldsymbol{\mu}$ depends on the absorber material and the  $\gamma$  energy.

Cat. No.	Description	P 6.4.4	P 6.4.4	P 6.4.4	P 6.4.4
559 82	Am 241 preparation	1			
546 25	Ionization chamber	1			
546 27	Telescopic cylinder	1			
546 35	Adapter for ionization chamber	1			
521 70	High voltage power supply 10 kV	1			
532 00	I-measuring amplifier D	1			
575 24	Screened BNC/4 mm	1			
531 100	Multimeter METRAmax 2	1			
311 52	Vernier calipers, plastic	1			
300 02	Stand base, V-shape, 20 cm	1			1
300 41	Stand rod, 25 cm	1			
301 01	Leybold multiclamp	1			1
666 555	Universal clamp, 080 mm dia.	1			
500 610	Safety connecting lead, 25 cm, yellow/green	1			
501 40	Connecting lead, Ø 2.5 mm <sup>2</sup> , 25 cm, yellow/green	1			
501 45	Pair of cables, 50 cm, red and blue	2			
559 83	Set of 5 radioactive preparations		1	1	1
559 18	Holder with absorber foils		1		
559 01	End-window counter for $\alpha,~\beta,~\gamma$ and x-rays		1	1	
575 471	Counter S		1	1	
590 02	Small clip plug		1	1	
591 21	Large clip plug		1	1	
532 16	Connection rod		2	2	
300 11	Saddle base		2	2	
460 97	Scaled metal rail, 0.5 m			1	
667 9182	Geiger counter				1
559 94	Set of absorbers and targets				1
300 51	Stand rod, right angled				1
501 644	Set of 6 two-way plug adapters, black				1





4.1 4.2 4.4